



Mark Scheme (Results)

January 2023

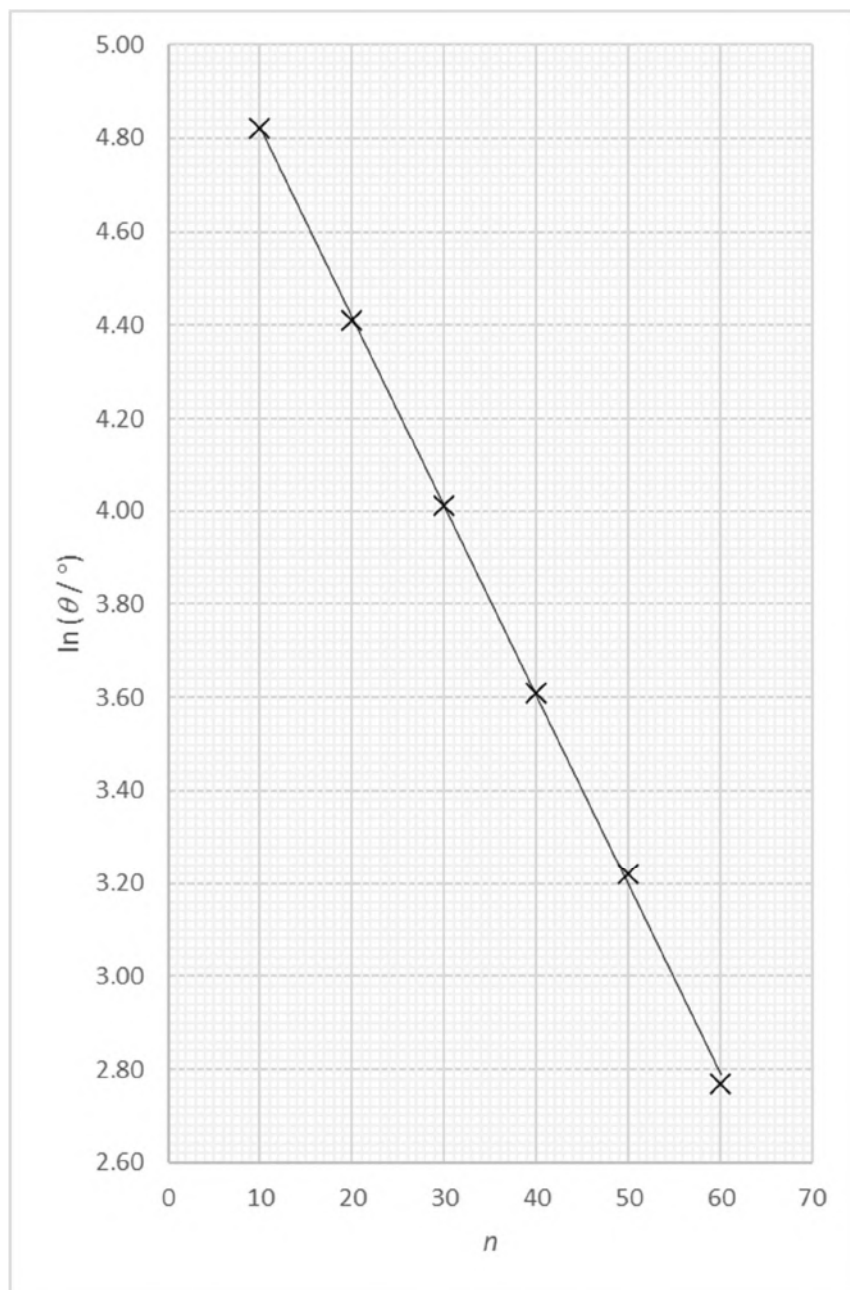
Pearson Edexcel International Advanced
Level in Physics (WPH16)
Paper 01 Practical Skills in Physics II

Question Number	Answer	Mark
1(a)	<p>The screw will get hot Or Risk of burns (1) (So) use tongs whilst heating (1)</p>	2
1(b)(i)	<p>Any TWO from: No repeats recorded Or Not enough sets of data Do not accept reference to range (1)</p> <p>Inconsistent number of significant figures Or Inconsistent number of decimal places Or Not all values recorded to resolution of instrument (1)</p> <p>No units for temperature (increase) (1)</p> <p>Actual temperatures (of water) not recorded (1)</p>	2
1(b)(ii)	<p>Any ONE from Time for heating the screw (1) Position of screw in flame (1) Flame setting (1) Do not accept mass or volume</p>	1
1(b)(iii)	<p>Use of $\Delta E = mc\Delta\theta$ using pair of values from table of results (1) Use of energy lost by screw in cooling down = energy gained by water in heating up (1) Correct value of $\Delta\theta$ to 3 sig figs (1)</p> <p><u>Example of calculation</u> For water $\Delta E = mc\Delta\theta = 9.9 \times 10^{-3} \times 4180 \times 62 = 2570 \text{ J}$ For screw $\Delta\theta = \frac{\Delta E}{mc} = \frac{2570}{4.11 \times 10^{-3} \times 420} = 1490 \text{ (}^\circ\text{C)}$</p> <p>2nd data line: $\Delta\theta = 1510 \text{ (}^\circ\text{C)}$ 3rd data line $\Delta\theta = 1500 \text{ (}^\circ\text{C)}$ Reverse working can score 2 marks</p>	3
Total for question 1		8

Question Number	Answer	Mark
2(a)(i)	<p>Substitution using $T = \frac{2\pi}{\omega}$ (1)</p> <p>Clear algebra leading to relationship (1)</p> <p>Example of derivation</p> $T = \frac{2\pi}{\omega} \Rightarrow \omega = \frac{2\pi}{T} \Rightarrow \omega^2 = \frac{4\pi^2}{T^2}$ $Mg = m\omega^2 = m\frac{4\pi^2}{T^2}$ $\therefore T^2 = \frac{4\pi^2 m}{Mg}$	2
2(a)(ii)	<p>1 Use a timing marker (to mark the start and end of a rotation) (1)</p> <p>2 Start timing after a few rotations (1)</p> <p>3 Time a number of rotations and divide by the number of rotations</p> <p>Or</p> <p>Repeat the measurement of T and calculate a mean (1)</p> <p>4 (Vary M to) obtain at least 5 sets of measurements (1)</p> <p>5 Keep x constant (for each value of M) (1)</p> <p>6 Plot a graph of T^2 against $\frac{1}{M}$ to check it is a straight line</p> <p>Or</p> <p>Plot a graph of T^2 against $\frac{1}{M}$ to check the gradient is constant (1)</p> <p>Accept alternative graphs: T against $\sqrt{\frac{1}{M}}$ or $\log T$ against $\log M$ or variations with correct use of constants</p>	6
2(b)	<p>Any TWO from</p> <p>The video recording will help to judge when a rotation is complete (1)</p> <p>The video recording can be used to view the motion more slowly (1)</p> <p>The time for a rotation will be long so any improvement will be small (1)</p>	2
Total for question 2		10

Question Number	Answer	Mark
3(a)	<p>Any PAIR from</p> <p>$\ln \theta = \ln \theta_0 - \lambda n$ (1)</p> <p>Is in the form $y = c + mx$ where $-\lambda$ is the <u>gradient</u> (1)</p> <p>Or</p> <p>$\ln \theta = -\lambda n + \ln \theta_0$ (1)</p> <p>Is in the form $y = mx + c$ where $-\lambda$ is the <u>gradient</u> (1)</p> <p>MP2 dependent on MP1</p>	2
3(b)(i)	<p>Values of $\ln \theta$ correct to 2 d.p. Accept 3 d.p. (1)</p> <p>Axes labelled: y as $\ln (\theta / ^\circ)$ and x as n Accept degrees for $^\circ$ (1)</p> <p>Appropriate scales chosen (1)</p> <p>Values plotted accurately (1)</p> <p>Best fit line drawn (1)</p>	5
3(b)(ii)	<p>Calculation of gradient using large triangle shown (1)</p> <p>Value of λ in range $(-)0.038$ to $(-)0.042$ (1)</p> <p>Value of λ given to 2 or 3 s.f, positive, no unit (1)</p> <p><u>Example of calculation</u></p> <p>$-\lambda = (4.82 - 3.20) / (10 - -50) = -1.62 / 40 = -0.0405$</p> <p>$-\lambda = -0.0405$</p> <p>$\lambda = 0.041$</p>	3
3(b)(iii)	<p>Correct value of $\ln \theta_0$ obtained using value of λ and data point from best fit line</p> <p>Or</p> <p>Correct value of $\ln \theta_0$ obtained using y-intercept (1)</p> <p>Conversion of $\ln \theta_0$ to θ_0 (1)</p> <p>Valid conclusion based on calculated value of θ_0 (1)</p> <p><u>Example of calculation</u></p> <p>$\ln \theta = \ln \theta_0 - \lambda n$</p> <p>$\ln \theta_0 = \ln \theta + \lambda n = 3.2 + (0.041 \times 50) = 5.25$</p> <p>$\theta_0 = e^{5.25} = 191^\circ$</p> <p>As this is greater than 180° the claim is correct</p>	3
Total for question 3		13

n	$\theta / ^\circ$	$\ln(\theta / ^\circ)$
10	124	4.82
20	82	4.41
30	55	4.01
40	37	3.61
50	25	3.22
60	16	2.77



Question Number	Answer	Mark
4(a)(i)	<p>Any PAIR from:</p> <p>Repeat at different orientations and calculate a mean (1)</p> <p>To reduce (the effect of) <u>random error</u> (1)</p> <p>Or</p> <p>Check and correct for zero error Accept suitable method (1)</p> <p>To eliminate <u>systematic error</u> (1)</p> <p>MP2 dependent MP1</p>	2
4(a)(ii)	<p>Mean $d = 8.54$ (mm) (1)</p> <p>Calculation using half range shown</p> <p>Or</p> <p>Calculation of furthest from mean (1)</p> <p>Uncertainty in $d = 0.02$ (mm) d.p. consistent with mean (1)</p> <p><u>Example of calculation</u></p> <p>Mean $d = (8.53 + 8.56 + 8.55 + 8.53) / 4 = 34.17 / 4 = 8.54$ (mm)</p> <p>Uncertainty $= (8.56 - 8.53) / 2 = 0.03 / 2 = 0.015 = 0.02$ (mm)</p>	3
4(b)(i)	<p>Use of $2 \times \%U$ in d shown</p> <p>Or</p> <p>Use of $2 \times \frac{\Delta d}{d}$ shown (1)</p> <p>Calculation of U in d^2 shown (1)</p> <p>U in $d^2 = 1.3$ (mm²) Accept 3 sig figs (1)</p> <p><u>Example of calculation</u></p> <p>$\%U$ in $d^2 = 2 \times \frac{0.06}{10.70} \times 100 = 1.1 \%$</p> <p>$U$ in $d^2 = (10.70)^2 \text{ mm}^2 \times 1.1 \% = 1.26$ (mm²)</p> <p>Or</p> <p>Uses uncertainty in d to calculate minimum or maximum d^2</p> <p>Calculation of U in d^2 using half range shown (1)</p> <p>U in $d^2 = 1.3$ (mm²) Accept 3 sig figs (1)</p> <p><u>Example of calculation</u></p> <p>Maximum $d^2 = (10.70 + 0.06)^2 = 10.76^2 = 115.8$ (mm²)</p> <p>Minimum $d^2 = (10.70 - 0.06)^2 = 10.64^2 = 113.2$ (mm²)</p> <p>U in $d^2 = \frac{115.8 - 113.2}{2} = \frac{2.6}{2} = 1.3$ (mm²)</p>	3

4(b)(ii)	<p>Use of $A = \frac{\pi}{4}(s^2 - d^2)$ (1)</p> <p>Addition of uncertainties in s^2 and d^2 e.c.f. 4(b)(i) (1)</p> <p>Calculation of U in A using factor of $\frac{\pi}{4}$ shown (1)</p> <p>%U in $A = 0.43\%$ Accept 3 sig figs (1)</p> <p>Accept use of U in d^2 of 1mm^2 to give 0.39%</p> <p><u>Example of calculation</u></p> <p>$A = \frac{\pi}{4}(s^2 - d^2) = \frac{\pi}{4}(881 - 114) = \frac{\pi}{4} \times 766 = 602\text{ mm}^2$</p> <p>$U \text{ in } A = \frac{\pi}{4}(2 + 1.3) = \frac{\pi}{4} \times 3.3 = 2.6\text{ mm}^2$</p> <p>$\%U \text{ in } A = \frac{2.6}{602} \times 100 = 0.43\%$</p> <p>Or</p> <p>Use of $A = \frac{\pi}{4}(s^2 - d^2)$ (1)</p> <p>Correct use of uncertainties to calculate maximum or minimum A e.c.f. 4(b)(i) (1)</p> <p>Calculation of U in A from half range shown (1)</p> <p>%U in $A = 0.42\%$ Accept 3 sig figs (1)</p> <p><u>Example of calculation</u></p> <p>$A = \frac{\pi}{4}(s^2 - d^2) = \frac{\pi}{4}(881 - 114) = \frac{\pi}{4} \times 767 = 602\text{ mm}^2$</p> <p>$\text{Max } A = \frac{\pi}{4}(s^2 - d^2) = \frac{\pi}{4}((881 + 2) - (114 - 1)) = \frac{\pi}{4} \times 770 = 605\text{ mm}^2$</p> <p>$\text{Min } A = \frac{\pi}{4}(s^2 - d^2) = \frac{\pi}{4}((881 - 2) - (114 + 1)) = \frac{\pi}{4} \times 763 = 600\text{ mm}^2$</p> <p>$U \text{ in } A = \frac{605 - 600}{2} = 2.5\text{ mm}^2$</p> <p>$\%U \text{ in } A = \frac{2.5}{602} \times 100 = 0.42\%$</p>	4
4(c)	<p>Both readings would have the same uncertainty (1)</p> <p>(So) the percentage uncertainty (in the mass) is reduced</p> <p>Or</p> <p>%U for mass of 10 rings = 0.8% and %U for mass of one ring = 8% (1)</p>	2
4(d)(i)	<p>Use of $\rho = \frac{m}{xA}$ (1)</p> <p>$\rho = 7.46\text{ (g cm}^{-3}\text{)}$ (1)</p> <p><u>Example of calculation</u></p> <p>$\rho = \frac{63}{1.403 \times 6.02} = 7.46\text{ (g cm}^{-3}\text{)}$</p>	2

4(d)(ii)	<p>%U in $\rho = 1.5\%$ Accept 1, 2 or 3 sig figs (1)</p> <p>Correct calculation of relevant limit using %U shown e.c.f. (d)(i) (1)</p> <p>Conclusion based on comparison of limit and range (1)</p> <p>MP3 dependent MP2</p>	
	<p><u>Example of calculation</u></p> <p>%U in $\rho = \frac{0.5}{63} \times 100 + \frac{0.04}{14.03} \times 100 + 0.4 = 0.8\% + 0.3\% + 0.4\% = 1.5\%$</p> <p>Upper limit of $\rho = 7.46 \times (1 + 0.015) = 7.57 \text{ (g cm}^{-3}\text{)}$</p> <p>As the upper limit is higher than 7.48 g cm^{-3} then the ring could be made from stainless steel.</p>	
	<p>Or</p> <p>%U in $\rho = 1.5\%$ Accept 1, 2 or 3 sig figs (1)</p> <p>Correct calculation of relevant %D shown e.c.f. (d)(i) (1)</p> <p>Conclusion based on comparison of %D and %U (1)</p> <p>MP3 dependent MP2</p>	
	<p><u>Example of calculation</u></p> <p>%U in $\rho = \frac{0.5}{63} \times 100 + \frac{0.04}{14.03} \times 100 + 0.4 = 0.8\% + 0.3\% + 0.4\% = 1.5\%$</p> <p>%D = $\frac{7.48 - 7.46}{7.48} \times 100 = 0.3\%$</p> <p>As % D for the lower value is less than the %U then the ring could be made from stainless steel.</p>	
	<p>Or</p> <p>Use of $\rho = \frac{m}{xA}$ and uncertainties to calculate maximum or minimum ρ (1)</p> <p>Correct calculation of relevant limit shown e.c.f. (d)(i) (1)</p> <p>Conclusion based on comparison of relevant limit and range (1)</p> <p>MP3 dependent MP2</p>	3
	<p><u>Example of calculation</u></p> <p>Maximum $\rho = \frac{63 \pm 0.5}{(1.403 - 0.004) \times (6.02 - 0.4\%)} = \frac{63.5}{1.399 \times 6.00} = \frac{63.5}{8.39} = 7.56 \text{ (g cm}^{-3}\text{)}$</p> <p>As the maximum ρ is higher than 7.48 g cm^{-3} then the ring could be made from stainless steel.</p> <p>Note minimum $\rho = 7.35 \text{ (g cm}^{-3}\text{)}$</p>	
	<p>Total for question 4</p>	
		19